

Tire Induced Surface Cracking

due to Extreme Wheel Loads

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Background

Surface Distresses at Amsterdam Airport Schiphol

Amsterdam Airport Schiphol (AMS)

- 52 MAP in 2013
- 450,000 annual aircraft movements
- Large share of intercontinental flights with wide-bodies

Taxiway Pavement

- 200 mm polymer modified asphalt
- PG 76-22 SBS-modified binder
- 700 mm cement treated base
- Subgrade CBR 1-2

Recurring Surface Distresses

- Entry TWY A8 towards RWY 24
- Circulation TWY A at wide-body F-pier
- Both locations subject to high shear
- Multiple resurfacings executed



Typical Examples



Approach

1. Literature Review
2. Numerical calculation of stresses at pavement surface
3. Check stresses against Mohr-Coulomb
4. Compare numerical results with analytical model
5. Identify critical failure parameters
6. Collect field data on asphalt performance characteristics

Conclusions

1. Extreme but realistic combinations of tire pressure and shear can cause surface cracking
2. Surface cracking is a strength issue and not a stiffness issue
3. Horizontal tensile stress at wheel edge is critical
4. Mixture cohesion is crucial to resist surface cracking
5. Cohesion drops with increasing temperature; hence risk of surface cracking is highest at elevated temperatures
6. ITS-test is simple test to determine cohesion

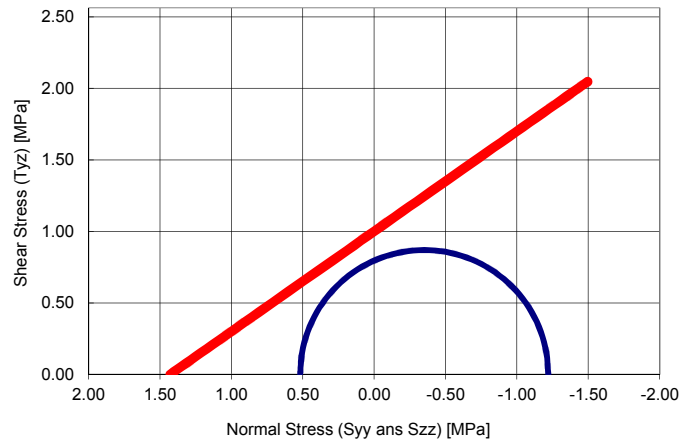
Recommendations

1. Analytical model gives insight into sensitive parameters but requires further validation due to rapid change of tensile stress at wheel edge
2. Effect of non-uniform stress distribution is likely to increase edge stresses, but has not been studied
3. Failure is defined by single loading event. Fatigue may have to be considered
4. Interface condition between asphalt layers is a known cause of surface cracking but has not been studied
5. Impact of non-circular contact area needs further study

Failure as per Mohr-Coulomb

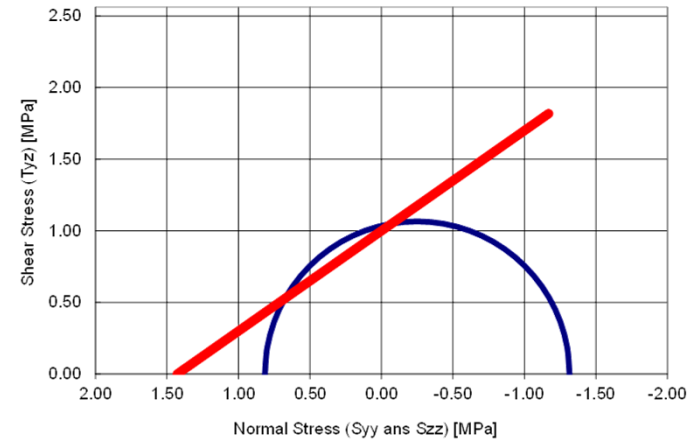
Factor of Structural Robustness F_{SR}

$$F_{SR} = c \times \cos(\phi) \times \left(\sqrt{\left(\frac{1}{2} S_{zz} - \frac{1}{2} S_{yy} \right)^2 + T_{yz}^2} + \frac{1}{2} (S_{zz} + S_{yy}) \sin(\phi) \right)^{-1}$$



$F_{sr} > 1$

No Failure



$F_{sr} < 1$

Failure

Numerical Calculations

Pavement Structure

Polymer Modified Asphalt PG76-22 SBS-binder	200 mm	elastic / visco-elastic $c = 1 \text{ MPa}$, $\varphi = 35^\circ$
Cement Treated Base	700 mm	linear elastic $E > 5,000 \text{ MPa}$
Sand Sub-Base	400 mm	linear elastic Combined $E = 40 \text{ MPa}$
Clayey Subgrade		

Numerical Calculations

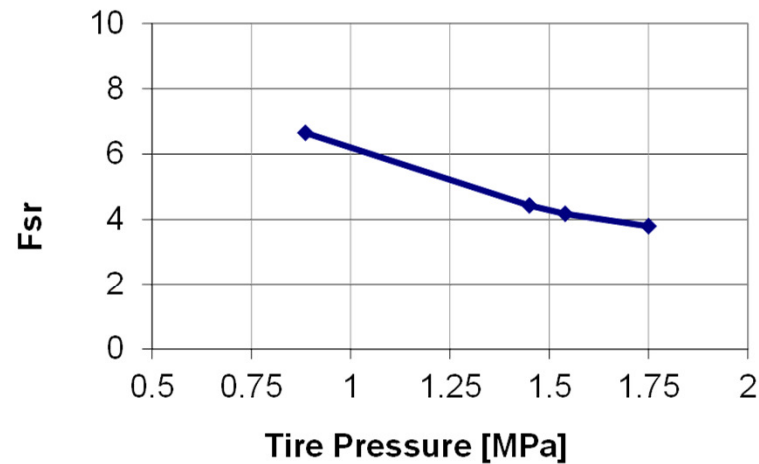
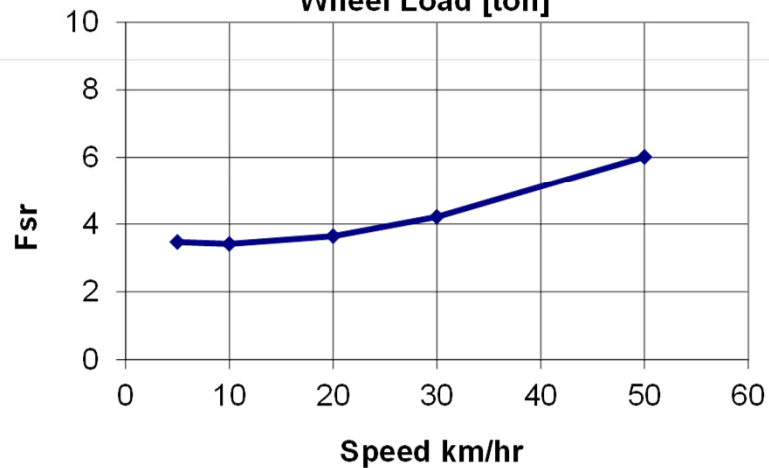
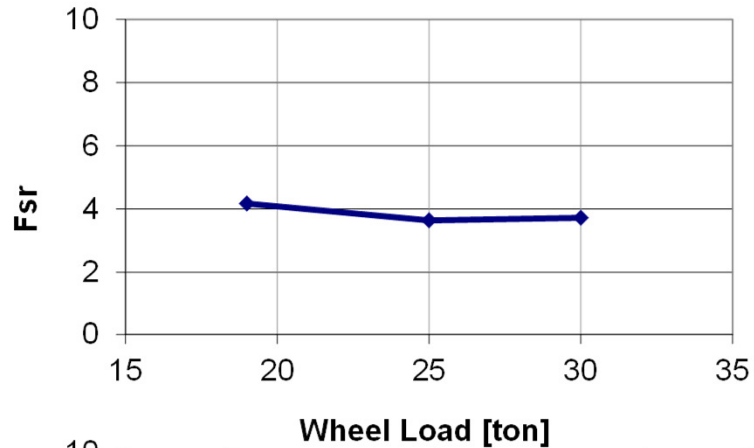
Loads

- Single wheels only. Multiple wheels → no interaction
- Uniform vertical and horizontal stress distribution over circular contact area
- Load characteristics:

Wheel Load	Tire Pressure
19 t	0.86 MPa
19 t	1.45 MPa
25 t	1.54 MPa
30 t	1.75 MPa

Numerical Calculations

Results – Straight Moving Loads



- No risk of failure with straight moving loads, uniform stress and $c = 1$ MPa

Numerical Calculations

Loads in Curves

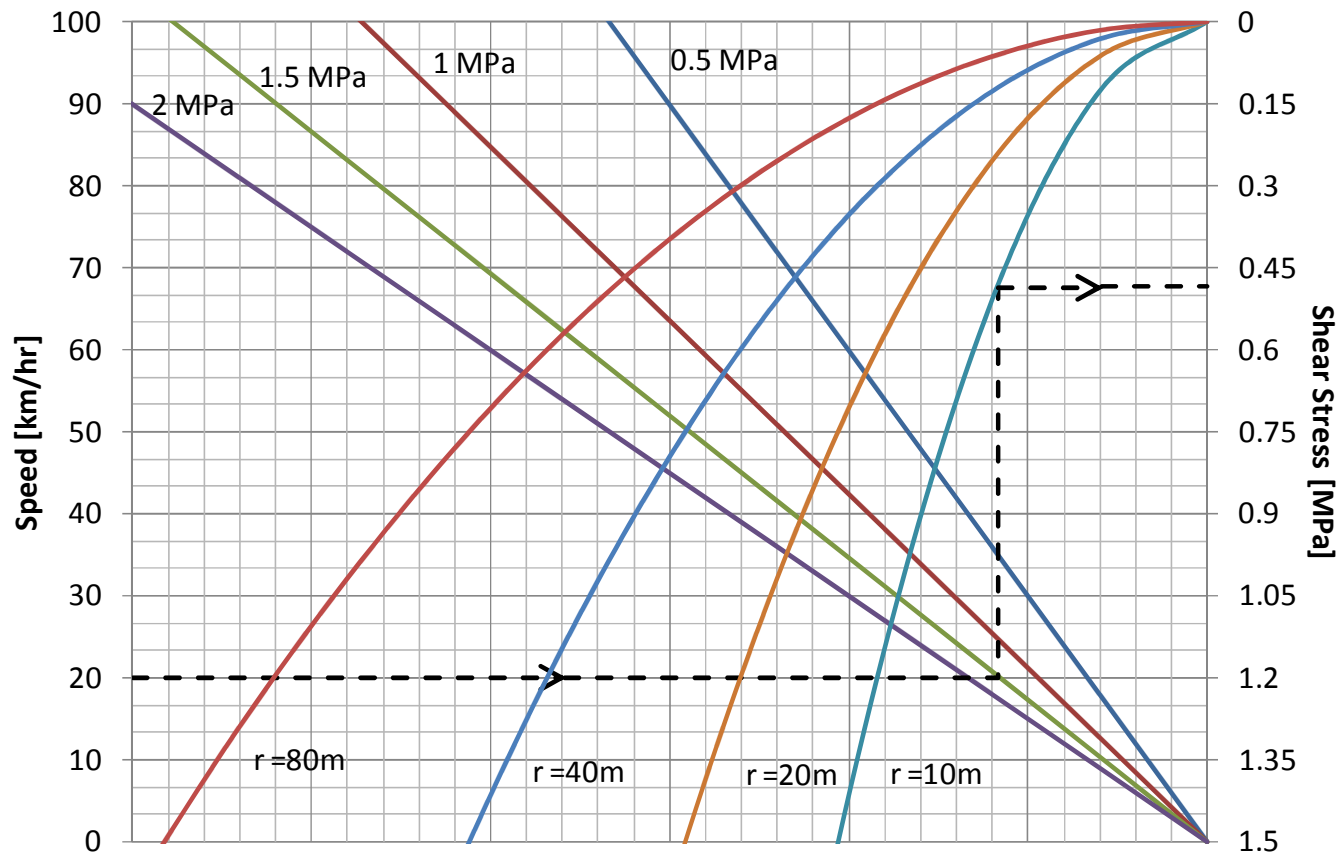
- Standard taxiway curve 55 m centreline radius
- Wide-body mean gear (B777) = 35 m, 1.54 MPa tire pressure
- Horizontal shear by:
 - σ = tire pressure [MPa]
 - v = speed [km/hr]
 - R = curve radius [m]
 - τ = shear stress [MPa]

$$\tau = 7.87 \cdot 10^{-3} \times \frac{\sigma(v)^2}{R}$$

Speed	Horizontal shear	G-force
20 km/hr	0.14 MPa	0.09g
30 km/hr	0.31 MPa	0.20g
50 km/hr	0.85 MPa	0.56g

Numerical Calculations

Shear Stress Nomogram

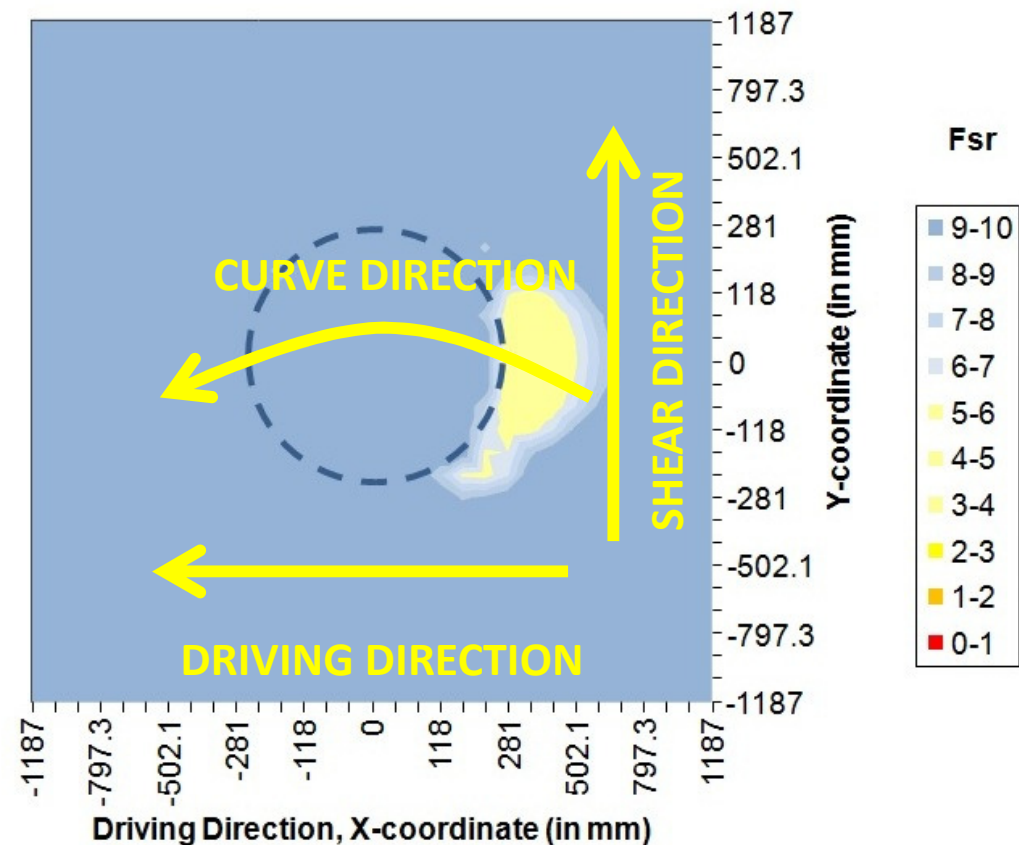


Numerical Calculations

Results – Loads in Curves

B777 r=35m v=20kmh

- Tire Pressure = 1.54 MPa
- R = 35 m
- Speed = 20 km/hr

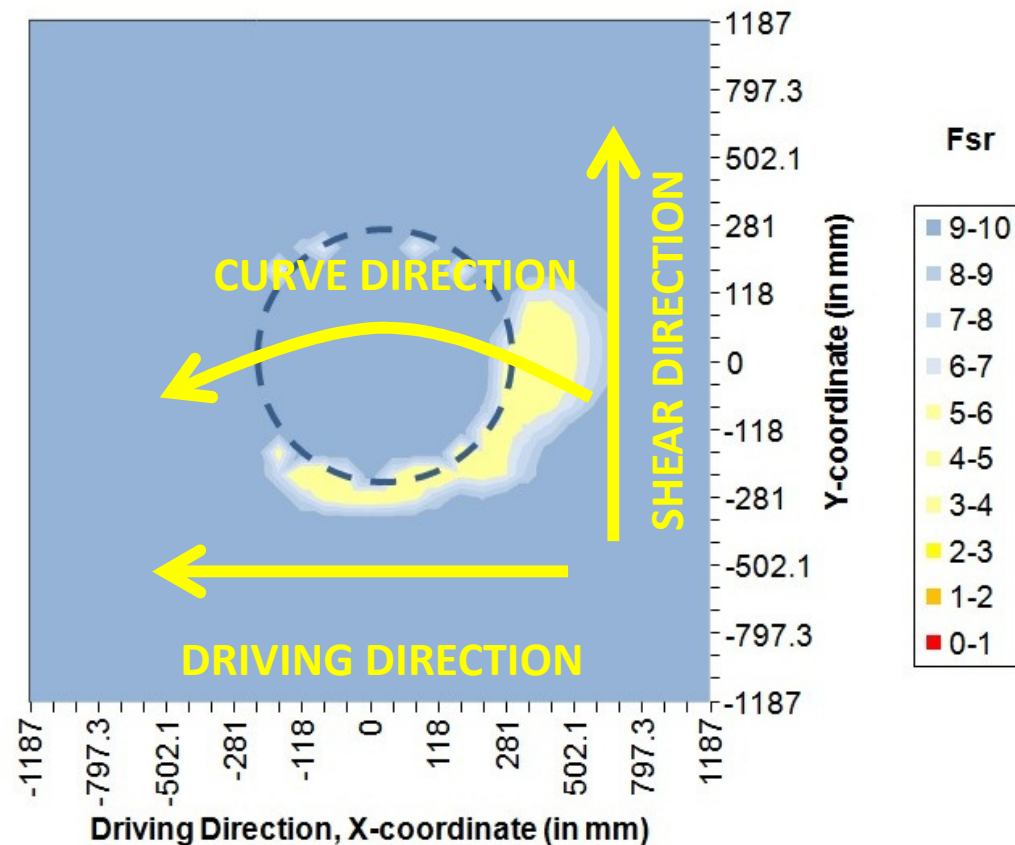


Numerical Calculations

Results – Loads in Curves

B777 r=35m v=30kmh

- Tire Pressure = 1.54 MPa
- R = 35 m
- Speed = 30 km/hr

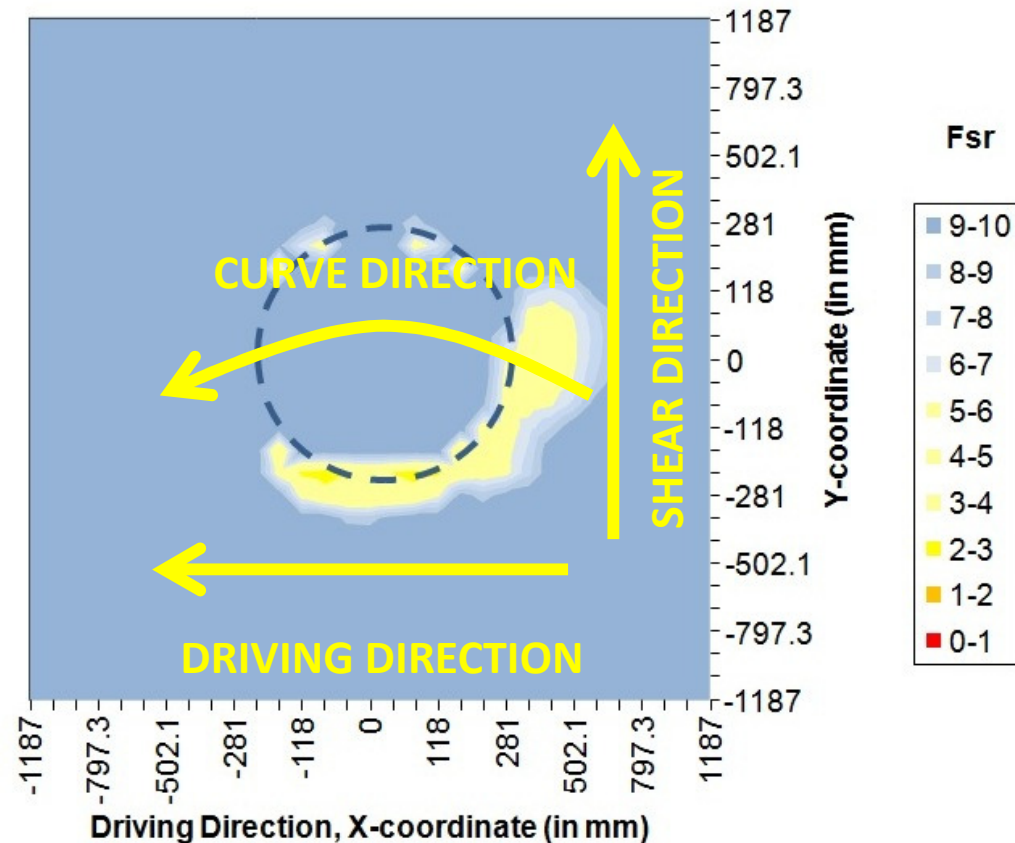


Numerical Calculations

Results – Loads in Curves

B777 r=35m v=34kmh

- Tire Pressure = 1.54 MPa
- R = 35 m
- Speed = 34 km/hr

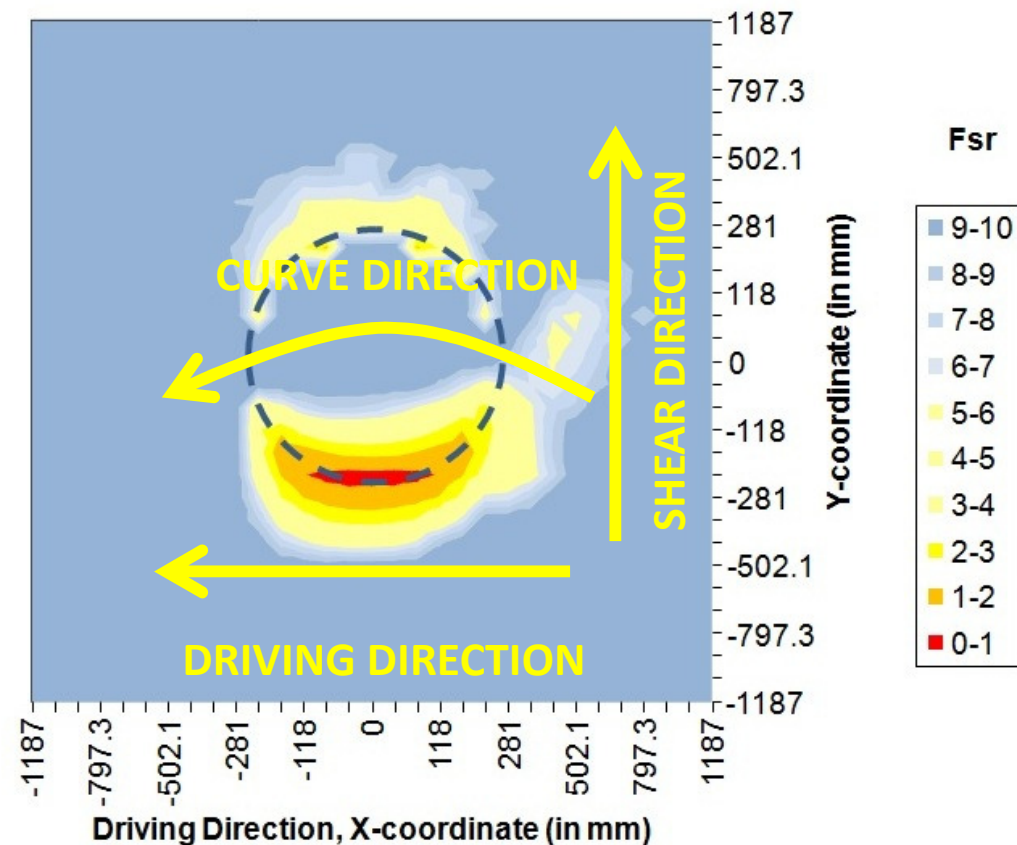


Numerical Calculations

Results – Loads in Curves

B777 r=35m v=50kmh

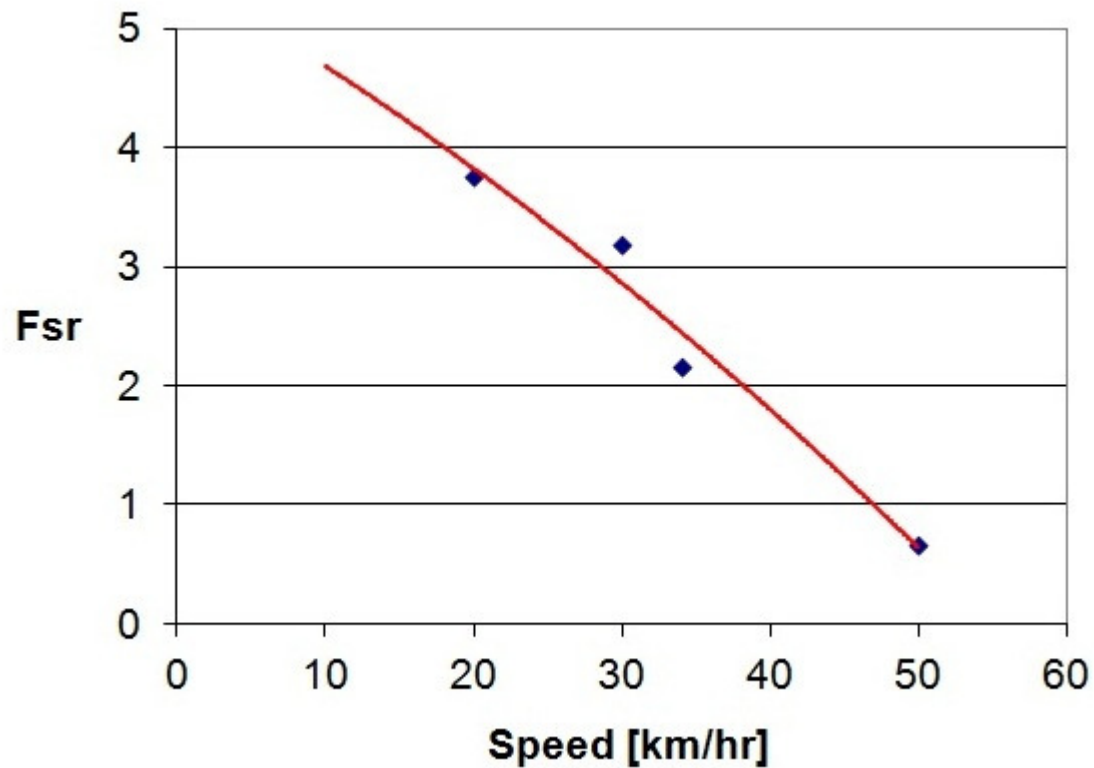
- Tire Pressure = 1.54 MPa
- R = 35 m
- Speed = 50 km/hr



Numerical Calculations

Results – Loads in Curves

- Tire Pressure = 1.54 MPa
- R = 35 m

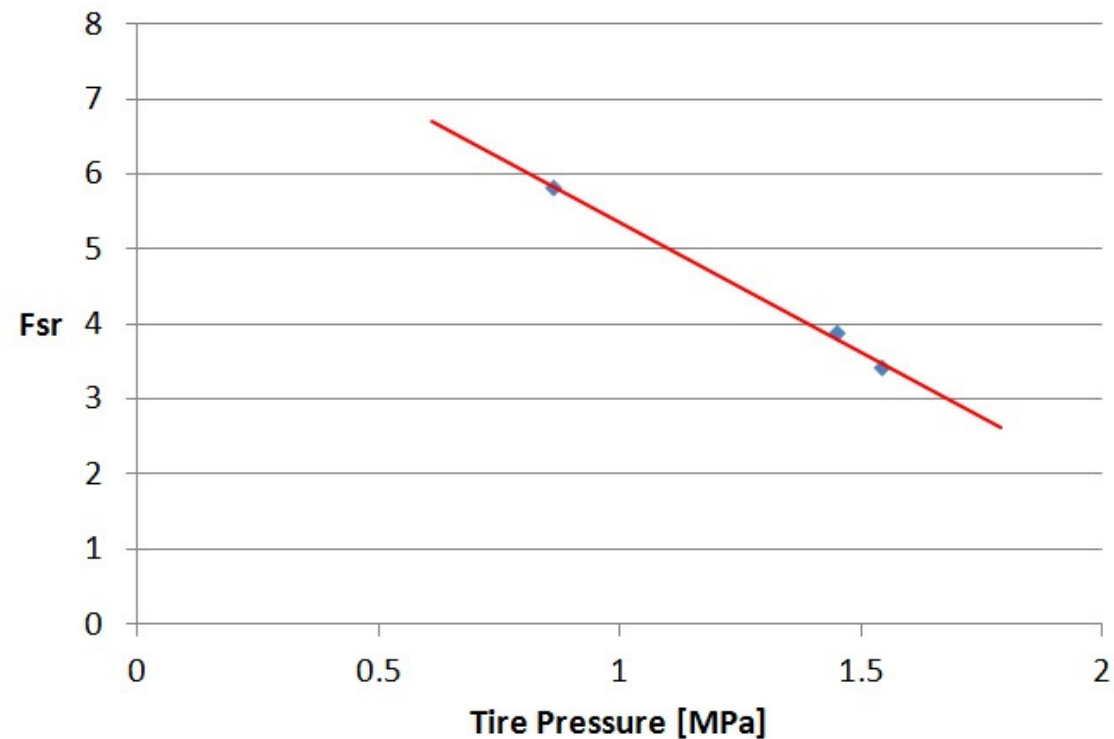


Numerical Calculations

Results – Normal Pushback

■ $v = 10 \text{ km/hr}$

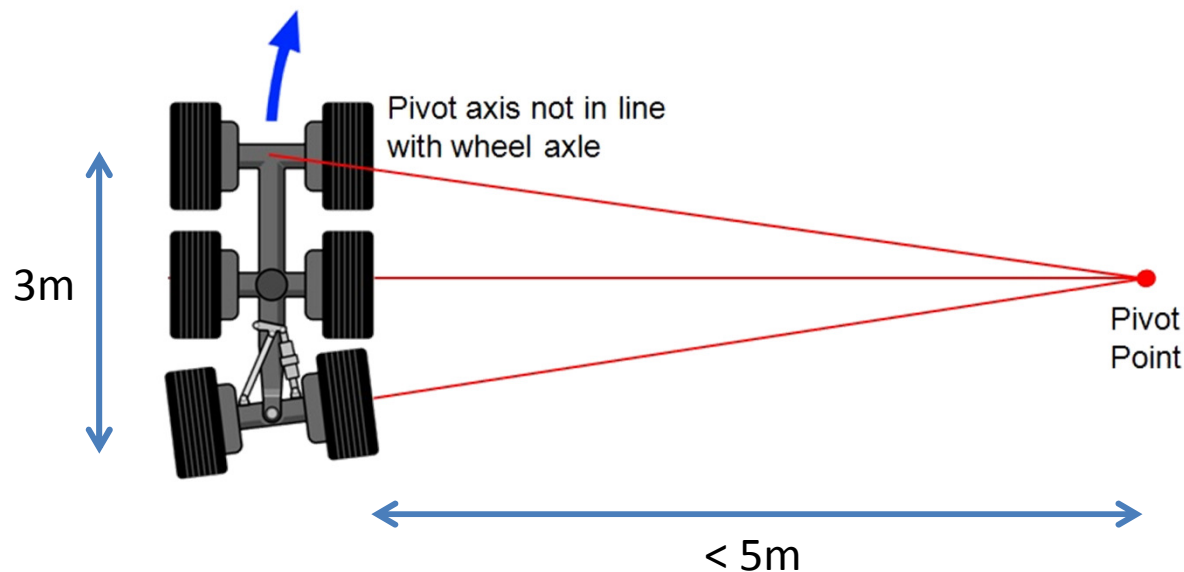
■ $R = 10 \text{ m}$



Numerical Calculations

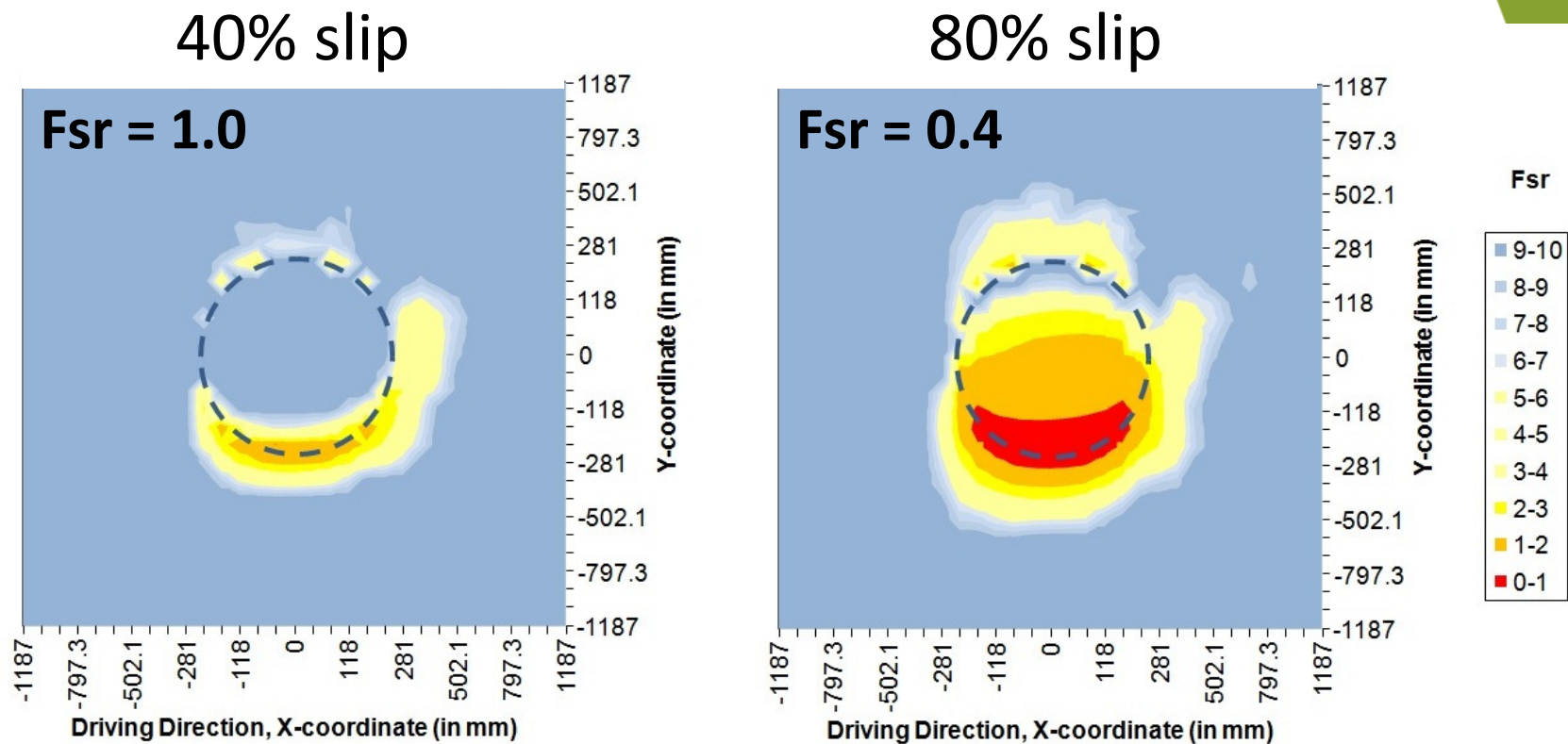
Results – Lateral Wheel Slip

- Normal push-back at low speed and $r > 10\text{ m}$ → No risk
- Extreme push-back, sharp steering angle → high risk with (tri)tandem axles due to wheel slip



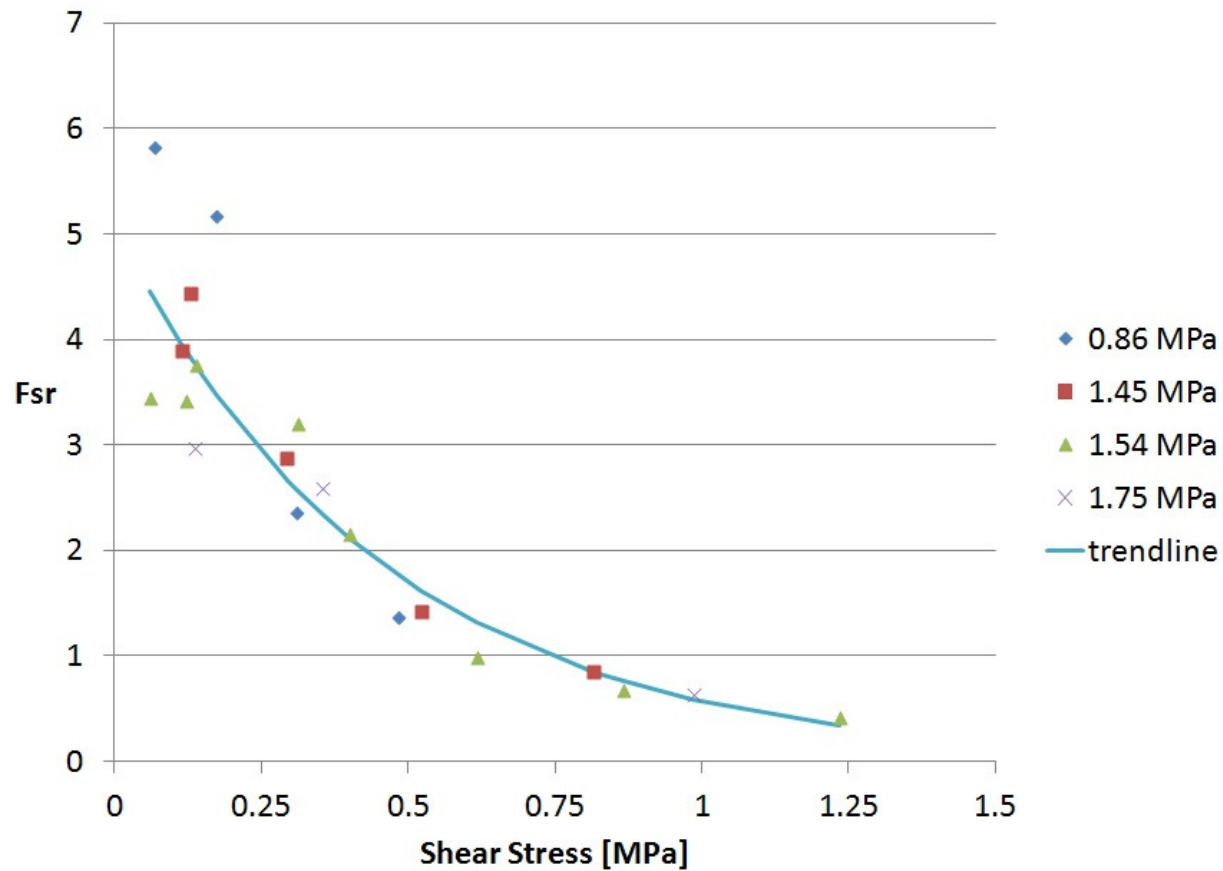
Numerical Calculations

Results – Lateral Wheel Slip



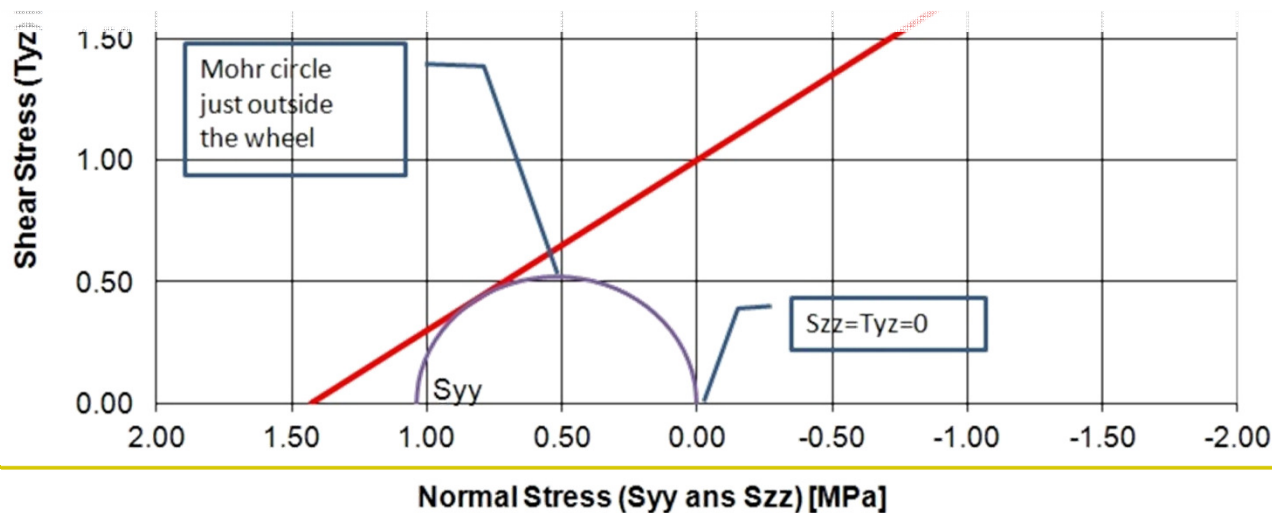
Numerical Calculations

Summary

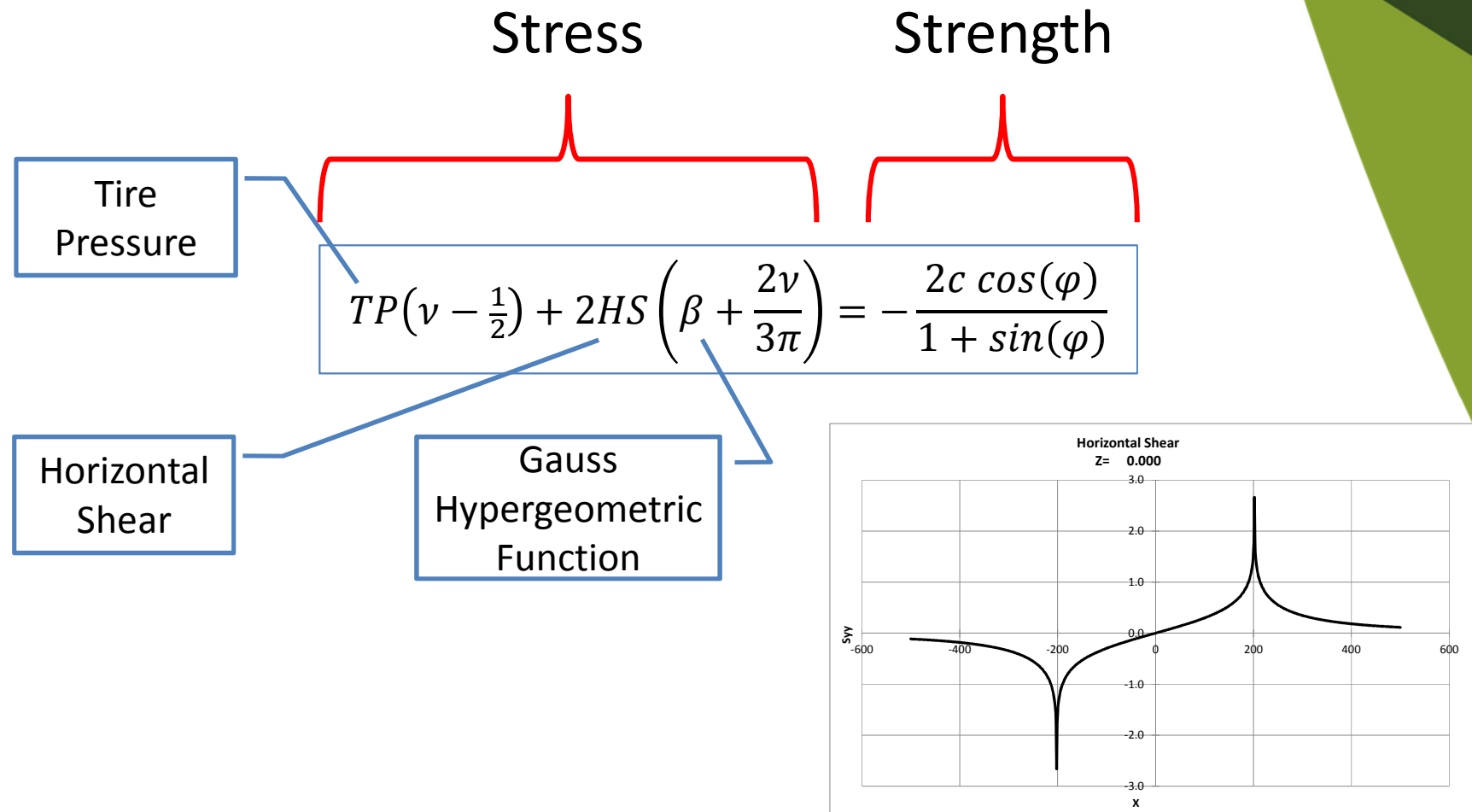


Analytical Model

- Gerrard and Harrison [1970]; Analytical model for stresses in uniform halfspace due to circular wheel load, also at $z = 0$ and $y = r$.
- Take stress condition just outside wheel; $\sigma_{zz} = \tau_{yz} = 0$
- Combine with Fsr failure model and take $F_{sr} = 1$

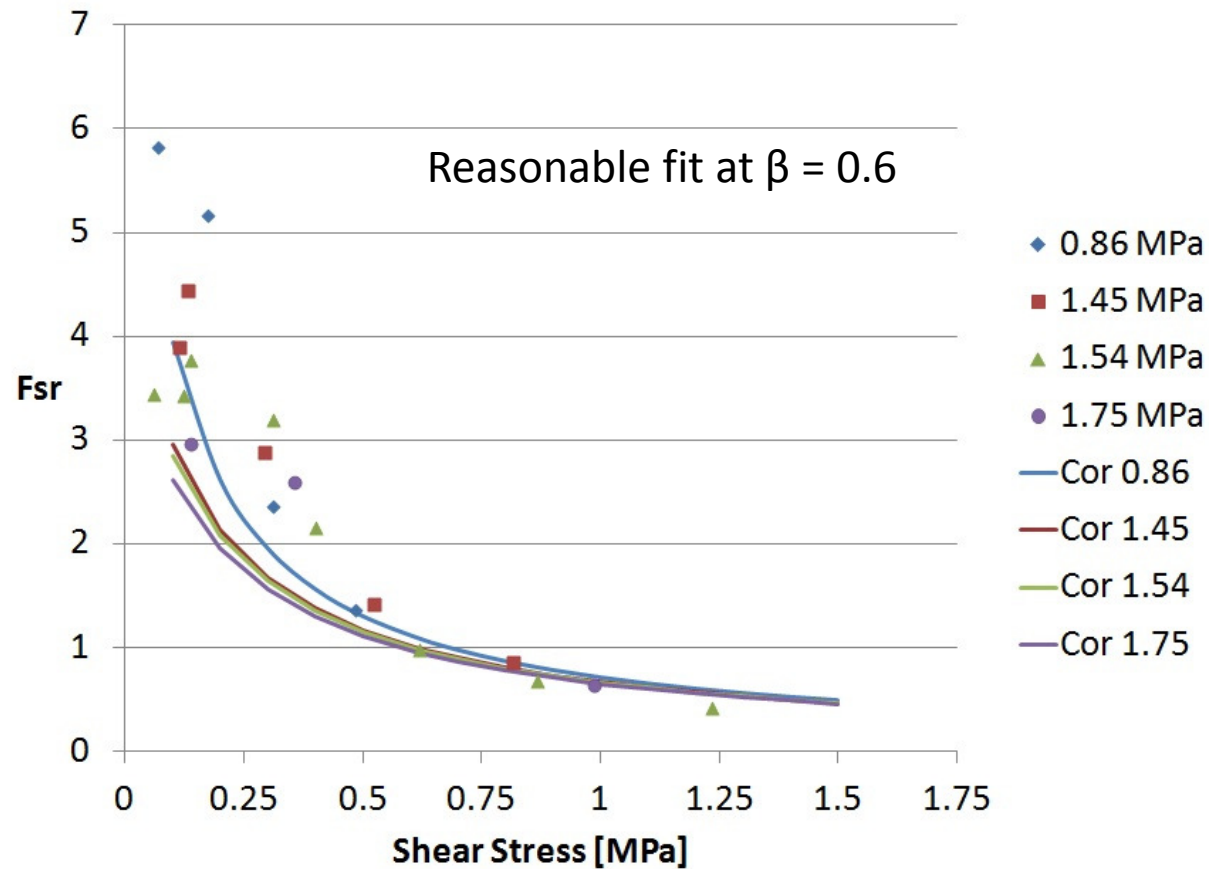


Analytical Model



Analytical Model

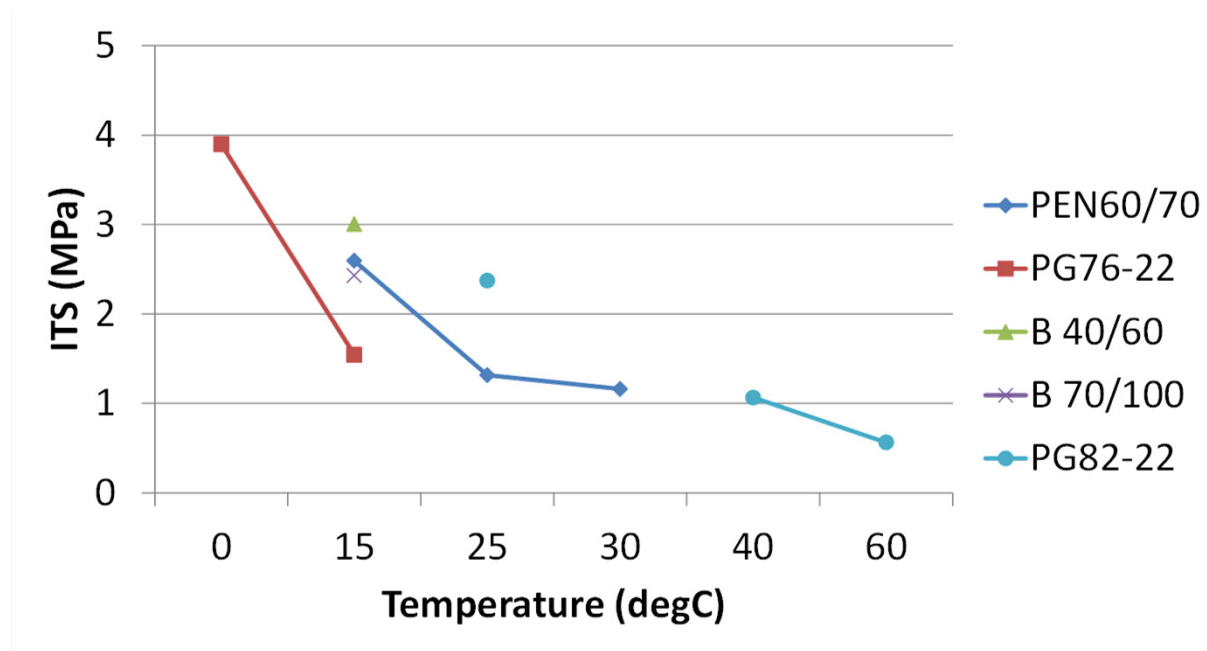
Fit with Numerical Results



Mix Cohesion

Proportional to ITS and Sensitive to Temperature

Mix Cohesion = 1.75 x ITS (Christensen, Bonaquist)



Conclusions

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Thank you for your attention!

Download full report from:
<http://www.crow.nl/publicaties/tire-induced-surface-cracking-due-to-extreme-wheel>